

African Buffalo Optimization Algorithm for Tuning Parameters of a PID Controller in Automatic Voltage Regulators

Julius Beneoluchi Odili
FSKKP
odili_julest@yahoo.com

Mohd Nizam Mohmad Kahar
Faculty of Computer Systems and
Software Engineering
mnizam@ump.edu.my

A. Noraziah
IBM Centre of Excellence
noraziah@ump.edu.my

Universiti Malaysia Pahang
Kuantan 26300, Malaysia.

Abstract — In this paper, we present the African Buffalo Optimization (ABO) approach for the metaheuristic tuning of the Proportional, Integral & Derivative (PID) Controller parameters of Automatic Voltage Regulators in electrical power generation and transmission. ABO simulates the movement of African Buffalos as they migrate from place to place all over Africa in search of grazing pastures. The buffalos use just two basic vocalizations, namely the waaa and the maaa to organize the entire herd in their migration and search for food and water. Though a recently-designed algorithm, the ABO has been effective and efficient in solving a number of search optimization problems. The highpoints of the ABO include its use of few parameters, constant interactions among the buffalos and the deployment of the exploration and exploitations mechanisms of the algorithm in every iteration. The simulation outcome of the application of ABO to tune the parameters of a PID-Controller parameters of Automatic Voltage Regulators has been very competitive when compared similar outcomes of other metaheuristics tuners: BFO-PID, PSO-PID, GA-PID, PID-PSO, PID Tuner and ACO-PID.

Keywords - Automatic Voltage Regulator, African Buffalo Optimization, metaheuristics, Proportional, Integral and Derivative, Tuning.

I. INTRODUCTION

To say that optimization is the heartbeat of the greatest scientific and technological achievements that mankind has experienced since the early 19th century till date, may not be an overstatement. Optimization, basically, can be defined as the economics of technology, engineering and science since optimization emphasizes the need to obtain optimal outcomes with minimal input. Because of its strategic importance, optimization can be applied to virtually every aspect of scientific and engineering designs, commercial decision-making, production, business management, strategic planning, medicine, pharmacy, bio-medical engineering, bio-technology etc.

The popularity of engineering optimization has led to the design of several optimization algorithms such as the Particle Swarm Optimization [1], Genetic Algorithm [2], African Buffalo Optimization [3, 4] Simulated Annealing (SA) [5], Ant Colony Optimization [6], etc. These algorithm have been applied to different areas of science, technology and engineering such as job scheduling [7] Travelling Salesman's Problems [8, 9], computer networking [10], numerical function optimization [11], administration [12], tuning the Proportional, Integral and Derivative (PID) Controller's parameters of Automatic Voltage Regulators (AVR) [13] etc.

With special regards to optimizing the parameters of a PID Controller, the Ziegler and Cohen's technique is one of the first ever successful methods [14]. The successful application of this tuning method was celebrated for a number of years and this attracted the attention of researchers

to investigate the application of metaheuristics in tuning the PID parameters of an Automatic Voltage Regulator, Dc Motors etc. Careful investigation of the Ziegler and Cohen's tuning method reveals that it requires that the process models should first be minimised in order to make the system less complex [15]. Further investigations revealed that whenever this concern is not adequately addressed, the tuning outcome is not satisfactory thus resulting in system steady-state errors, system-delays, overshoot and eventual system instability. Whenever this unsatisfactory tuning process occurs, the major objectives of a PID controller in the tuning process is defeated.

In addition, further research investigations revealed that the Ziegler and Cohen's technique requires a lot of professional expertise to obtain satisfactory tuning, even though it does not guarantee good performance at all times, in spite of the technical and professional input. This particular deficiency is one of the main motivations for researchers to investigate the possible use of metaheuristics for tuning PID parameters. Today, rigorous research efforts have led to the development of, Particle-Swarm Optimization PID (PSO-PID) [16], Genetic Algorithm PID (GA-PID) [17], Ant Colony Optimization PID (ACO-PID) [18], Bacteria-Foraging Optimization PID (BFO-PID) [19], PID-Tuner [20], African Buffalo Optimization (ABO-PID) [13] etc. The primary advantage of metaheuristic tuning of PID Controller parameters in systems engineering is as a result of their simplicity of operation, ease of use, ease of maintenance, dynamism,, ease of implementation, effectiveness, low cost and efficiency .

The rest of this paper is organized thus: section two elaborates on the PID; section three discusses the African Buffalo Optimization and its specific application to tuning the PID parameters of an AVR; section four highlights the experimental results and section five draws conclusions on the study. Next is acknowledgement of support for the study followed by the references.

II. PID CONTROLLER

The PID Controller is an example of a control loop feedback technique that is used in engineering, industrial and process control systems. The PID works optimally in electrical, electronic or electromechanical systems that has precise and distinguishable mathematical model. The PID Controller, basically, calculates three separate system parameters: proportional, integral and derivative coefficients. The proportional component of PID computes the value of the very current error. Similarly, the integral component calculates the result of the sum of recent errors while the derivative component is involved with the determination of the system's reaction based on the rate dynamics of the errors. The weighted sum of the functions of the three PID components is then imported into the control system to regulate the AVR. Some of the different AVR models with input PID controllers are presented in Figures 1-4.



Figure 1: Picture of PID Controller type [21]

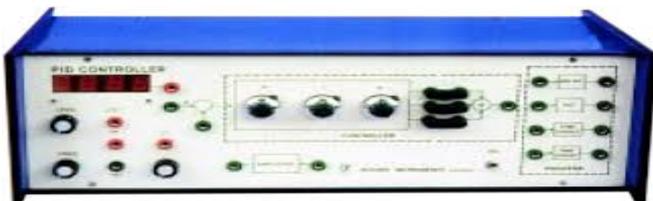


Figure 2: Picture of another brand of PID Controller



Figure 3: Picture of a small AVR in home generator [22]



Figure 4: A medium size AVR [23]

A. Effects of PID on an AVR

The primary duty of an AVR in electrical engineering is to regulate the entire electric power system, thus enhancing the stability of the power output system. The PID controller could be termed the heartbeat of the AVR since it is the PID that controls the dynamic response of the AVR ensuring the reduction or complete elimination of steady-state error.

The PID comprises of three principal parts: Proportional, Integral and Derivative components. The primary duty of the Proportional component (G_p) in a PID Controller reduces the rise time of the power generating system. Moreover, the Proportional component helps to minimize the steady state error but lacks the capacity to completely eliminate the steady-state error. On its part, the integral component (G_i) minimizes or in some cases totally eliminates the steady-state error. The integral component also helps in reducing the unpredictable response of the power generating system, thus enhancing the stability and reliability of the system. On the other hand, the primary function of the derivative control (G_d) component is to enhance the system stability by reducing or totally eliminating the system's overshoot. Thus, the derivative component assists in improving the transient response of the power system. In summary, the cumulative effect of the PID Controller on a closed-loop electrical or electronic system is graphically presented in Table 1. (Please note, however, that, in some special circumstances, there could be some minor changes).

TABLE 1: EFFECTS OF A PID ON A CLOSED LOOP SYSTEM

Parameters	S-S error	Rise time	Over-shoot	Settling time
G_p	Decrease	Decrease	Increase	Small Change
G_i	Eliminate	Decrease	Increase	Increase
G_d	No Change	Small Change	Decrease	Decrease

III. AFRICAN BUFFALO OPTIMIZATION & PID TUNING

The African Buffalo Optimization which is a recently developed metaheuristic algorithm was inspired by the herd management and organizational prowess of the African buffalos in their migrant lifestyle in African diverse landscapes (ranging from arid deserts, savannah and forests) in search of lush grazing fields to satisfy their huge appetites and sustain their kind in the ecosystem [24]. Using the /waaa/ (explore) and the /maaa/ (exploit) calls, the African

buffalos are able to optimize their search for good grazing fields out of starving locations into very satisfying ones [25]. The African Buffalo Optimization (ABO) algorithm is presented in Figure 5 [26].

Step 1 Randomly initialize the buffalos to different location.

Step2 Update the exploitation fitness of the buffalos using

$$m_k^t = m_k + Ip1(bg - w_k) + Ip2(dp.k - w_k)$$

Step 3 Update the buffalos' location using:

$$w_k^t = \frac{(w_k + m_k)}{r}$$

Step 4 Verify if b_{gmax} is updating? Yes, go to 6. If No after 10 iterations, return to Step 1

Step 5 Is the stopping criteria reached? No, go back to algorithm step 2, else proceed to Step 6

Step 6 Output best solution.

Figure 5: ABO Algorithm

A. ABO for PID

In evaluating the ABO-PID, an AVR system with ABO-PID was implemented. Please recall that the main assignment of an AVR is to ensure a predetermined voltage output. As such, to regulate a voltage output requires a feed-forward system as we have in 'open loop' systems [27] or a closed loop mechanism as in 'feedback' control systems [28]. Please note that a feedback control system is designed to send back some feedback information on the voltage output so as to ensure the predetermined output voltage is same as originally designed. To do this, the AVR may use an electromechanical component or an electronic device that has capacity to regulate one or more AC or DC voltages.

The components of an AVR includes the exciter, generator, amplifier, and sensor: all working together to ensure the output voltage stability in the power engineering. It is important to note that in virtually every power system, increasing the load usually leads to a drop in the output voltage, hence the need for a PID. A PID controller is, therefore, helps to minimize the output error arising increase load by ensuring improved dynamic response. Needless to say, therefore, that the stability or otherwise of the AVR seriously affects the stability and security of the entire power system. The Block diagram of an ABO-PID is presented in Figure 5.

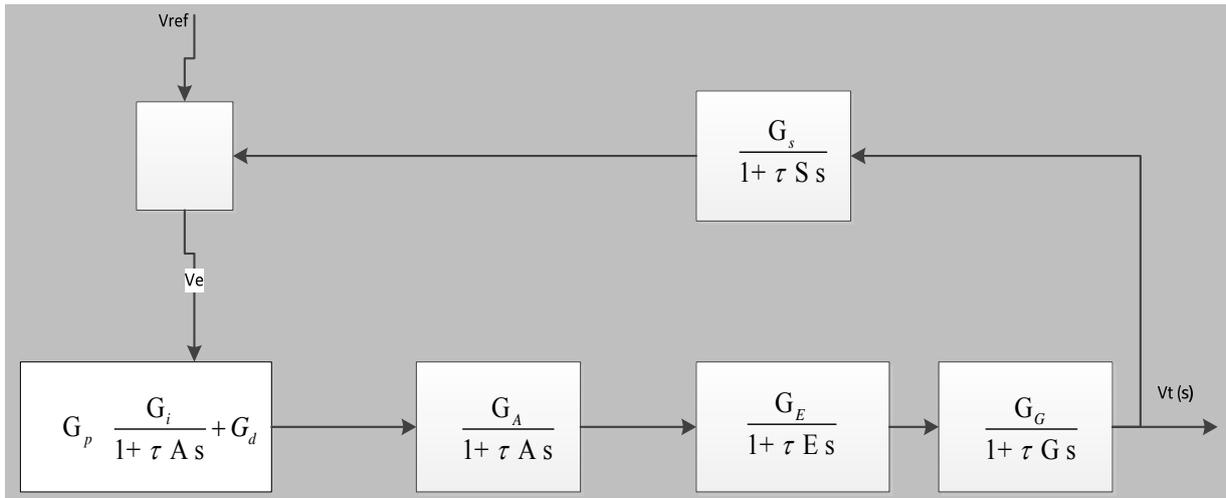


Figure 5: Block diagram of AVR system with a PID.

The linear cum mathematical representation of an AVR in power generators is:

$$\text{Amplifier } (G_A) = VR(s) / Ve(s) = G_A / (1 + \tau_A s) \quad (1)$$

where G_A denotes the Amplifier gain; τ_A denotes the Time constant in S domain. Normal values of G_A ranges from 10 to 400. Amplifier's time constant is typically very small and ranges from 0.02s to 0.1s.

The transfer function (TF) of an Exciter could be represented by a gain G_E with a single time constant:

$$\text{Exciter} = VF(S) / VR(S) = G_E / (1 + \tau_E(S)) \quad (2)$$

In this instance, K_E denotes Exciter gain; $\tau_E(S)$ the Time constant in S domain. Usual values of G_E ranges from 10 to 400. The time constant ranges from 0.5s to 1.0s.

Furthermore, the transfer function that relates the generator terminal voltage could be represented by a gain G_G and time constant s:

$$\text{Generator} = Vt(S) / Vf(S) = G_G / (1 + \tau_G(S)) \quad (3)$$

Please note that the values of the constants depend on the generator load. G_G and could range from between 0.7 and 1.0, or between 1.0 and 2.0 s depending on when the generator has full load to when it has no load.

Lastly, a simple first-order representation of the transfer function of a sensor is:

$$\text{Sensor} = Vt(S) / Vt(S) = G_S / (1 + \tau_S(S)) \quad (4)$$

where τ_S is usually very small, and ranges from 0.001 to 0.06 s.

B. ABO Strategy for Tuning the PID Parameters of An AVR

The searching strategy of the ABO-PID Controller is as follows:

Step 1: Randomly initialize the buffalo population in sets of three buffalos: meaning, when there are N buffalos, there exists $N/3$ components. Simply set s which denotes step function as 2

Step 2: Compute the buffalos' exploitation and exploration fitness using Equations 5 and 6 respectively

$$m_k^t = m_k \mid \text{lp1}(bg, w_k) \mid \text{lp2}(bg, h, w_k) \quad (5)$$

$$w_k^t = \frac{(w_k + m_k)}{r} \quad (6)$$

Step 3: Determine G_p, G_i and G_d for each set of buffalos

Step 4: Plot the G_p, G_i and G_d into the PID benchmark transfer function denoted by:

$$Gp(s) + \frac{Ki}{s} + Gd(s) \quad (7)$$

Select the set of buffalos with the best fitness value. Set as the bg

Step 5: Compute x/y . If the outcome is 1, denoting a steady state, terminate the run, otherwise, go back to Step 2

IV. EXPERIMENTS AND DISCUSSION OF RESULTS

In this study, ABO-PID was implemented using MATLAB and executed on a MATLAB Compiler 2012b. Fitness function is the Integrated Absolute Squared Error.

The parameters are presented in Table 2 and the experimental outcome is presented in Figure 6.

TABLE 2: PID TUNING PARAMETERS

Parameters	Values
G_A	10
G_E	1.0
G_G	1.0
G_S	1.0
τ_A	0.1
τ_E	0.4
τ_G	1.0
τ_S	0.01

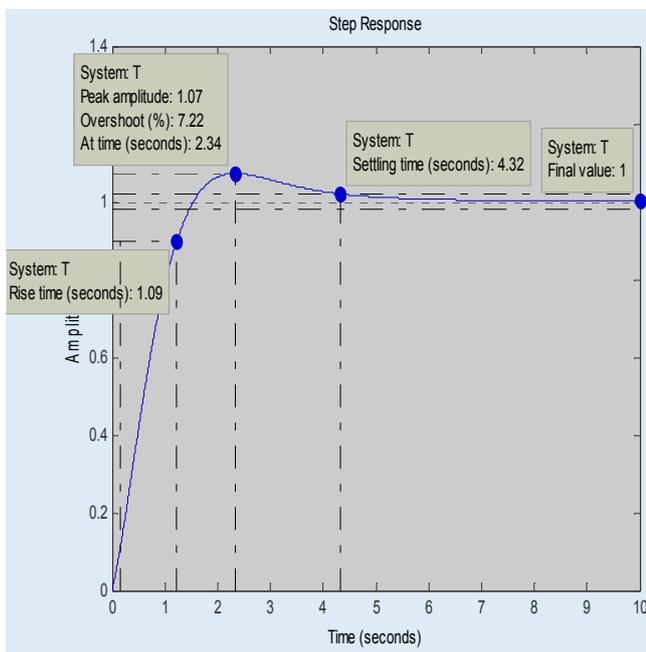


Figure 6: Time-domain output of ABO-PID

We note that the variable V_e in the Block diagram (Figure 3) can be obtained using:

$$V_e = V_t(s) - V_{ref}(s) \tag{8}$$

Here, V_e denotes the tracking error. To obtain the tracking error, subtract the input voltage otherwise called reference signal ($V_{ref}(s)$) from the output ($V_t(s)$) signal. The obtained error voltage (V_e) signal is then fed-back to the PID controller whose assignment is to sum up PID of this voltage error.

In addition, please note that the PID controller’s transfer function (TF) is:

$$G_p + G_i/s + G_d(s) \tag{9}$$

Similarly, the transfer function of the AVR components is:

$$\frac{\Delta V_t(s)}{\Delta V_{ref}(s)} = \frac{(s^2 G_d + s G_p + G_i) (K_A K_E K_G K_S) (1 + s T_E)}{s(1 + s \tau_A) (1 + s \tau_E) (1 + s \tau_G) (1 + s \tau_S) (s^2 G_d + s G_p + G_i) (K_A K_E K_G K_S)} \tag{10}$$

The experimental outcome is compared with those from other optimization search algorithms such as the GA-PID, PID-PSO, ACO-PID, BFO-PID [29], PSO-PID, LQR-PID and PID-tuner [30]. The simulation result is as presented below in Table 3.

TABLE 3. PID TUNING RESULTS

Gain Overshoot (%)	Type of Controller	Parameters			Rise time (secs)	Settling time (secs)
		G_p	G_i	G_d		
7.22	ABO-PID	4.1380	2.0672	0.5779	1.090	4.320
60.5	ACO-PID	2.9917	1.1053	0.3085	0.493	7.100
59	PSO-PID	3.3172	0.8993	0.2814	0.4993	10.200
62.1	BFO-PID	3.0725	1.1054	0.2601	0.4993	6.800
5	BC-GA	0.5692	0.2484	0.1258	0.893	1.7019
.004	RC-GA	0.6820	0.2660	0.1790	1.0668	1.2682
0	FO-PSO-PID	0.1700	0.0300	0.0140	27.00	52.00
60	GA-PID	3.1563	0.9463	0.4930	0.493	8.900
8.99	PID-PSO	0.6125	0.4197	0.2013	0.684	3.087
3.80	PID-TUNER	0.2736	.1723	0.1150	1.360	4.400
36	LQR-PID	1.0100	0.5000	0.1000	0.500	2.335

The data in Table 3 is quite intriguing as it tends to validate the No Free Lunch theorem of search optimization algorithms [31]. The No Free Lunch Theorem asserts that that there is nothing like the best search optimization algorithm and that an algorithm usually perform very well in some given problems but not as well in other problems. Further, it states that performance of an algorithm is primarily due to proper tuning of the algorithm's parameters for some given problems. In other words, what is of particular user/researcher determines his choice of algorithm. The No Free Lunch Theorem concludes that optimization search algorithms can perform excellently well in some given problems, post fair performance in some other optimization problems and perform poorly in the remaining cases [32].

Table 3, basically, highlights the merits and demerits of the algorithms under investigation, to such a point that a parameter of interest to a practitioner determines the algorithm to employ in tuning the PID parameters of an AVR. For instance, if the user is interested in having a system with the least percentage gain overshoot, then his choice will be will be FFO-PID since it has 0%. The next choice would be Real-coded Genetic Algorithm (.004%); PID-tuner (3.8%); Binary-coded Genetic Algorithm (5%); ABO-PID (7.22%), PID-PSO (8.99%), LQR-PID (36%); PSO-PID (59%), GA-PID (60%), ACO-PID (60.5%) and BFO-PID (62.1%) respectively.

Similarly, if the researcher/user is interested in a system with very fast rise time of the power generating set, then GA-PID and ACO-PID are the algorithms of first choice since both algorithms have a rise time 0.493 second in comparison to PSO-PID and BFO-PID (0.4993 second); LQR-PID (0.5 second); PID-PSO, (0.684 second); BC-GA, (0.893 second); RC-GA (1.0668 second); ABO-PID, (1.09); PID-tuner, (1.36 seconds) and FO-PSO-PID (27 seconds).

Moreover, if the settling time parameter is the main consideration, then the 'best' algorithm is RC-GA since it has the least settling time of 1.2682 seconds). The next choice should be BC-GA with 1.7019 seconds, then LQR-PID with 2.335 seconds, followed by 3.087 seconds for PID-PSO, 4.320 seconds (ABO-PID), 4.4 seconds (PID-tuner), 6.8 seconds (BFO-PID), 7.1 seconds (ACO-PID), 8.9 seconds (GA-PID), 10.2 seconds (PSO-PID) and, then, 52 seconds (FO-PSO-PID).

V. CONCLUSION

From the foregoing discussion and analysis, it may be safe to conclude that a good metaheuristic tuner of a PID Controller of an AVR is one that provides a fair balance in optimizing the different parameters in its effort at obtaining efficient and effective tuning. Moreover, the performance of FO-PID is worthy of special mention. Though, the FO-PID posted no gain overshoot yet it had the slowest rise time and setting time. In other words, FO-PID sacrificed the rise and settling times in order to obtain 0% gain overshoot. This certainly is not a mark of an effective optimization

algorithm [33]. On the other hand, the effectiveness of the ABO-PID can be seen in its capacity to ensure harmonious tuning through a good trade-off of the tuning parameters thereby maintaining efficient and harmonious stability of the AVR. The performance of the ABO-PID validates the findings of some researchers that a good optimization algorithm should be robust [33]. The robustness of an Algorithm refers to its capacity to provide competitive outcomes in a wide range of optimization problems.

Juxtaposing the competitive tuning capability of ABO in This study with its performance in solving benchmark travelling salesman problems [34] and numerical optimization test functions [25], it may be safe to conclude that the ABO is a good addition to the existing body of bio-inspired techniques.

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